

state \rightarrow	s_1	s_2	s_3	Dominance:
act \downarrow				
a_1	4	3	1	
a_2	6	2	2	
a_3	5	3	2	
a_4	6	1	0	
a_5	3	2	5	

So we can simplify

state \rightarrow	s_1	s_2	s_3
act \downarrow			
a_2	6	2	2
a_3	5	3	2
a_5	3	2	5

What then?

First a different example:

state	→	s_1	s_2	s_3
act	↓			
a_1		4	3	1
a_2		3	2	2
a_3		5	3	2
a_4		6	1	0
a_5		3	3	4

One criterion that can be used is the **MaxiMin** criterion.

	state	→	s_1	s_2	s_3
	act	↓			
	a_2		6	2	2
	a_3		5	3	2
	a_5		3	2	5

Now back to the previous problem:

MaxiMin =

A refinement is the **LexiMin**

state	→	s_1	s_2	s_3
act	↓			
a_2		6	2	2
a_3		5	3	2
a_5		3	2	5

Here the LexiMin picks

One more example:

state	→	s_1	s_2	s_3	s_4	
act	↓					MaxiMin =
a_1		2	3	1	5	
a_2		6	2	2	3	
a_3		5	3	2	4	LexiMin =
a_4		6	1	0	7	
a_5		3	2	5	1	

Special case: outcomes are sums of money

state →	s_1	s_2	s_3	s_4
act ↓				
a_1	\$12	\$30	\$0	\$18
a_2	\$36	\$6	\$24	\$12
a_3	\$6	\$42	\$12	\$0

Suppose that we are able to assign probabilities to the states:

state →	s_1	s_2	s_3	s_4
	$\frac{1}{3}$	$\frac{1}{6}$	$\frac{5}{12}$	$\frac{1}{12}$

a_1 is the lottery

a_2 is the lottery

a_3 is the lottery

The expected values are:

Definition of attitude to risk

Given a money lottery L , imagine giving the individual a choice between L and the expected value of L for sure, that is, the choice

between $\begin{pmatrix} \mathbb{E}[L] \\ 1 \end{pmatrix}$ and L or, written more simply, between $\mathbb{E}[L]$ and L

If she says that

- $\mathbb{E}[L] \succ L$ we say that she is **risk averse** relative to L
- $\mathbb{E}[L] \sim L$ we say that she is **risk neutral** relative to L
- $L \succ \mathbb{E}[L]$ we say that she is **risk seeking** relative to L

So in the above example, if we assume that the agent is risk neutral relative to every lottery and her preferences are transitive, then, since

$$\mathbb{E}[a_1] = 10.5$$

$$\mathbb{E}[a_2] = 24$$

$$\mathbb{E}[a_3] = 14$$

Can we infer risk attitudes from choices?

Let $L = \left(\begin{array}{cc} \$40 & \$60 \\ \frac{1}{2} & \frac{1}{2} \end{array} \right)$ Then $\mathbb{E}[L] =$

Suppose Ann's preferences are transitive, she prefers more money to less and she says that she prefers \$49 to L .

Suppose Bob's preferences are transitive, he prefers more money to less and he says that he prefers \$51 to L .